Real-Time Multiprocessor Architecture for Sharing Stream Processing Accelerators

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Abstract—Stream processing accelerators are often applied in MPSoCs for software defined radios. Sharing of these accelerators between different streams could improve their utilization and reduce thereby the hardware cost but is challenging under real-time constraints.

In this paper we introduce entry- and exit-gateways that are responsible for multiplexing blocks of data over accelerators under real-time constraints. These gateways check for the availability of sufficient data and space and thereby enable the derivation of a dataflow model of the application. The dataflow model is used to verify the worst-case temporal behavior based on the sizes of the blocks of data used for multiplexing. We demonstrate that required buffer capacities are non-monotone in the block size. Therefore, an ILP is presented to compute minimum block sizes and sufficient buffer capacities.

The benefits of sharing accelerators are demonstrated using a multi-core system that is implemented on a Virtex 6 FPGA. A stereo audio stream from a PAL video signal is demodulated in this system in real-time where two accelerators are shared within and between two streams. In this system sharing reduces the number of accelerators by 75% and reduced the number of logic cells with 63%.

Keywords—real-time applications; stream processing accelerators; dataflow; accelerator sharing; multiprocessor systems

I. INTRODUCTION

Nowadays programmable signal processors are applied in Software Defined Radios (SDRs). A hardware cost reduction can be achieved by specialization of the instruction set of these Digital Signal Processors (DSPs). However, the design effort and associated cost to create such processors and their accompanying compilation tool-chains can be significant.

Stream processing hardware accelerators can be an attractive alternative compared to the use of specialized DSPs. These accelerators can improve the performance and power-efficiency at the cost of reduced flexibility.

Sharing of accelerators between data streams could improve their utilization and reduce thereby hardware costs. Accelerators can be shared by different streams within one application or by data streams from different radios that are executed simultaneously on the multiprocessor system.

However, sharing of accelerators is challenging under real-time constraints as a system implementation is required which can be captured in a temporal analysis model. With such an analysis model the minimum granularity at which blocks of data, i.e. the block size, must be multiplexed over the accelerators can be computed given the minimum throughput requirement of a stream of data of an application. Computation of the minimum granularity is complicated by the fact that a larger granularity amortizes accelerator reconfiguration overhead and thereby increases the throughput of one stream. However, this results also in a longer occupation of the accelerators and thereby reduces the throughput of other streams that share the same accelerator. As such, there is a mutual dependency between the minimum block sizes for different streams. Another complicating factor is that intuitively a smaller block size should result in a smaller buffer capacity but this is not generally the case because the required buffer capacities are a non-monotonic function in the block sizes. As a result the total required memory size for buffering is a non-monotonic function in the block size as well.

In this paper we present an approach for sharing accelerators under real-time constraints in a multiprocessor architecture for stream processing applications. Sharing of stream processing accelerators is enabled by multiplexing data streams using so-called entry- and exit-gateways. These gateway pairs check for sufficient input data and output space at respectively the input and output of a chain of accelerators such that the minimum throughput can be derived using a Cyclo-Static Data Flow (CSDF) model [1]. An abstraction of this CSDF model is created in the form of a single actor Synchronous Data Flow (SDF) model. This SDF model enables the derivation of an Integer Linear Program (ILP) for the computation of the minimum granularity at which blocks of data from the streams must be multiplexed over shared accelerators.

The achieved reduction in hardware cost has been evaluated by creating a multiprocessor system with shared accelerators that is implemented on a Virtex 6 FPGA. This system has been evaluated using a real-time Phase Alternating Line (PAL) stereo audio decoder application.

The outline of this paper is as follows. In the next
section we will describe related work. The basic idea behind our approach is described in Section III. In Section IV we describe our architecture with gateways in detail. The
derivation of the temporal analysis models in the form of a
CSDF and the more abstract SDF model are described in
Section V. The evaluation of our system in terms of hardware
costs and utilization of the accelerators using a real-time PAL
stereo audio decoder application is described in Section VI.
The conclusion is stated in the last section.

II. RELATED WORK
Hardware accelerators can be integrated into systems
as Instruction-Set Extensions (ISEs), by means of Remote
Procedure Calls (RPCs) or by making use of Direct Memory
Access (DMAs). We additionally will describe architectures
designed for accelerator integration which employ DMAs.

ISEs allow fine grained interaction with application specific
accelerator hardware due to a low communication latency
and usually without synchronization overhead. This type
of accelerator integration is applied in (general purpose)
processors [2], [3], [4] and proposed as a way to save power
by integrating so-called conservation cores [5]. A potential
drawback is that the processor is usually stalled until the
accelerator returns the result which limits the maximum
achievable performance gain. An additional drawback is
that accelerators usually belong to a single core, preventing
sharing between cores to improve utilization.

The use of RPCs [6] allows a less tight integration
between processors and accelerators. For communication
with accelerators synchronization needs to be added which
results in some overhead. While concurrent processing of
processor and accelerator is possible in theory, in practice it
is difficult as results from the accelerator are often required
for application progression. Additionally, it is not trivial to
keep the processor occupied during the exact duration of the
RPC call to maximize performance gains [7].

An architecture which makes use of DMAs for the
communication with accelerators is described in [8] and
allows concurrent processing of data streams by processors
and accelerators. In [8] they also describe a CSDF model
for the derivation of the minimum throughput for the case
that accelerators are shared by multiple streams. What is
missing in [8] is the check for space at the output of a chain
of accelerators, before processing of a block of data begins.
Without this check, no correct CSDF model can be derived.
Furthermore, determining an appropriate block size for every
multiplexed stream given a throughput constraint has not
been addressed in [8]. We will introduce a single actor SDF
model for the derivation of the minimum block size which
takes both the overhead caused by the flushing the data out
of a pipeline of accelerators and the time needed for saving
the state of the accelerators into account.

PROPHID [9] is an architecture which uses a crossbar with
a pre-calculated Time Division Multiplex (TDM) schema
to provide real-time guarantees. Accelerators stream data
through FIFO channels, hiding all network aspects. Like our
design, a special bus is used to configure accelerators while
a streaming network handles all data. Processors in [9] are
not connected to the data streaming interconnect, unlike our
approach, making it impossible to integrate them in a stream
processing application directly. Multiplexing of data streams
is supported where state is retained within the accelerators,
limiting the number of multiplexed streams per accelerator.

Eclipse [10] employs a shell to integrate stream processing
accelerators, an approach similar to the network [11] used
in our design. The use of the C-FIFO [12] algorithm in
a hardware shell results in larger hardware costs than our
credit-based hardware flow-control support in our network.
A shell around every accelerator manages arbitration between
multiplexing data streams. Our implementation only requires
logic for arbitration in the gateways instead of in every
accelerator. There is no temporal analysis model presented
and performance is measured instead within a simulator.

Our approach of using a network to stream data between
accelerators and a dedicated bus to save and restore accel-
erator state is similar to [13]. However, the use of a switch
to implement point-to-point connections results in higher
hardware costs compared to the ring-based interconnect
[14], [11] which is used in this paper. The interconnect
from [13] provides real-time guarantees but lacks support to
share accelerators.

III. BASIC IDEA
In this section we present a high level overview of our
architecture and the relation with the dataflow models used
for the derivation of the minimum block size.

An overview of our hardware architecture is shown in
Figure 1. In this architecture an entry-gateway hardware
block is responsible for scheduling blocks of data from
different streams over a chain of accelerators. Streaming of
a block of data is only allowed if:

1) the exit-gateway has indicated that all data in the chain
of accelerators belonging to the previous block has
been processed so a context switch can be performed,
and:

2) enough space is available at the output buffer such
that a consuming task can receive the next block of
data without having to stall for additional space in this buffer
A CSDF model suitable for temporal analysis can be created for this hardware, which is shown simplified for clarity in Figure 2. We show that one CSDF model per stream can be created despite that accelerators are shared. This CSDF model is a conservative abstraction of the hardware implementation. We will show that the minimum throughput can be derived using this model.

We will use the symbol $\sqsubseteq$ to indicate that the CSDF model is a conservative abstraction of the hardware. As such, the hardware is a temporal refinement of this model, according to the earlier-the-better [15, 16] refinement theory. This theory is applicable if the application is functional deterministic and for each component it holds that:

$$\forall i, a(i) \leq \hat{a}(i) \Rightarrow \forall j, b(j) \leq \hat{b}(j)$$

This equation states that an earlier arrival of the $i$-th input token at time $a(i)$ in the refined model compared to the arrival of the corresponding token in the abstraction at $\hat{a}(i)$ should not result in a later production of the token by the refined model at $b(j)$ compared to production of the corresponding $j$-th token by the abstraction at $\hat{b}(j)$. This equation can be generalized for components with multiple inputs and outputs. If the equation holds we say that component $C$ refines component $C'$ and this is formalized as $C \sqsubseteq C'$. A component can be an actor, its corresponding task or subgraphs of actors or tasks. If the refinement relation holds per component than it holds also for a complete graph of components. This means that the worst-case throughput and latency of the refined graphs is always better than the model being refined, i.e. the model obtained by abstraction. As such temporal guarantees concerning maximum token arrival times derived for the abstract model are always valid for the refined model and this also holds for subgraphs of these models. As a result, it is sufficient to show that a schedule of the abstract model exists that satisfies the temporal requirements.

We can therefore determine the minimum throughput by creating an admissible schedule for the CSDF graph at design time. In an admissible schedule actors do not fire before they are enabled. Actors are enabled if sufficient tokens are available in their input queues. During the construction of this schedule we use worst-case firing durations of the actors. These firing durations are equal to the maximum durations between arrival of the data enabling a task such that it becomes eligible for execution and the actual production of data by this task. Tasks can be executed by accelerators or by processors.

The block size determines the number of samples to be processed by the accelerators before a block of another stream can be processed. To derive the block size using the dataflow model we cannot make use of Maximum Cycle Mean (MCM) analysis techniques [17] as these analysis techniques require that expansion into an Homogeneous Synchronous Data Flow (HSDF) graph is possible [1]. However, an HSDF graph with a fixed topology cannot be derived as the block size remains a variable parameter in the CSDF model. Instead of computing the MCM we construct a schedule that is parameterized in the block size.

We will show that a more compact parameterized SDF model can be created from this CSDF model with a minimum loss of accuracy. As such, the CSDF model is a refinement of the SDF model, as is indicated in Figure 2. Due to transitivity of the $\sqsubseteq$ relation we can conclude that also the hardware is a refinement of this SDF model. We will show that this SDF model is suitable for the derivation of the minimum block size such that the throughput constraint of the application is satisfied despite overhead of saving the state and flushing data out of the FIFO buffers between the accelerators.

**IV. PROPOSED ARCHITECTURE**

In this section we will introduce the heterogeneous Multiple Processor System on Chip (MPSoC) architecture for real-time stream processing applications [11] which was extended with support for sharing stream processing accelerators. It consists of a number of interconnected “tiles” which contain processing elements.

In Figure 1 an overview of our architecture is presented. The “tiles” come in four types: the “Processor Tile” (PT), which contains a processor and some peripherals, the “Accelerator Tile” (Acc) which contains a configurable stream accelerator, the “entry-gateway” tile (G0/G2) and the “exit-gateway” tile (G1/G3). Each pair of entry- and exit-gateways handles multiplexing of data streams over a specific set of accelerator tiles. As reconfiguring or replacing state within the accelerators while data is still being processed in those accelerators would result in corrupt data, the entry- and exit-gateways work together to ensure that the pipeline is idle before another data stream is multiplexed. Such a pair of gateways is indicated by the dashed boxes in Figure 1. As interconnect we use the low-cost dual communication ring network from [11].

We will present the different types of tiles in more detail in the following sections.
A. Processor Tile

Figure 3a shows an overview of a processor tile. Every tile contains a RISC Microblaze processor and some peripherals like a timer for interrupts, a small local memory for a boot-loader and a small data scratch pad memory. Every processor is equipped with an instruction and data cache which is sufficiently large to cache program code of tasks running on the processor. Tasks are governed by a real-time budget scheduler [18] from a POSIX compliant kernel with multi-threading support which was developed for this system.

Every processing tile is connected to a tree-shaped interconnect providing fair access to external memory, which is for the case study presented in this paper unused and as such is omitted in the rest of this paper. It also has a connection to a dual-ring interconnect providing streaming tile-to-tile communication for data streams. In order to keep hardware costs low, the inter-tile interconnect only supports posted writes: a write completes for a producer when the interconnect accepts, it does not wait until the write actually arrives at its destination memory. The interconnect provides lossless communication where guaranteed acceptance at every tile is required to prevent loss of data which removes the need for hardware flow control for communication with memories. Tiles can only write data to a remote memory; when data from a remote tile is needed, both tiles need to work together to exchange data.

Processor tiles support two types of data streams: software FIFO communication, using the C-FIFO [12] algorithm, which allows an arbitrary number of simultaneous streams between processing tiles or hardware FIFO communication which is used to communicate directly with accelerator tiles. To support hardware FIFO communication we use a credit based flow control mechanism. This is implemented with a second ring for the communication of credits in the opposite direction as the data [11]. Currently it is only possible to receive one data stream from an accelerator tile and send one data stream to an accelerator tile to minimize hardware costs.

B. Accelerator Tile

Accelerator tiles, as depicted in Figure 3b, consist of a coarsely programmable accelerator and a streaming I/O port to the inter-tile dual-ring interconnect. The network interface handles the transition from address based communication to streaming data [11].

As such, the accelerators have no notion of other aspects of the system: they consume an incoming data stream from the Network Interface (NI) and produce a data stream which is returned to the NI. Accelerators can stall the incoming or outgoing stream of data tokens if they run out of data or space. To this end, the NIs for accelerators use a credit-based flow control algorithm.

Each accelerator is connected to a bus to load and save its configuration and state. This is used to provide context switches when different data streams are multiplexed.

C. Gateways

Entry-gateways are based on processor tiles and as such contain the same components plus some components needed for managing accelerators and multiplexing data streams, as is shown in Figure 4a. Configuration and state of accelerators are loaded and saved by means of a configuration bus which is connected to all managed accelerators. Configuration and state are stored in the local memory of the entry-gateway for every multiplexed stream. To prevent the speed of the
processor becoming a bottleneck in the data path, data is forwarded to the accelerators by a small DMA.

The entry-gateways handle streams using a Round-Robin (RR) scheduling policy. The use of RR allows to multiplex unrelated streams for multiple applications that are being executed simultaneously on the MPSoC.

Data streams arriving at the entry-gateway use software FIFOs store their data in the dual ported C-FIFO memory. The DMA controller copies data for the currently active stream from this local FIFO memory to an accelerator using hardware credit-based flow control. Produced data by the last accelerator in the chain is passed to the exit-gateway, which converts from hardware to software flow control, to a processing tile or entry-gateway.

The exit-gateway is an accelerator containing a DMA converting the hardware flow-controlled data stream to the address based software flow-controlled FIFO, as is shown in Figure 4b. When the last sample from a data block passed through the exit-gateway, the entry-gateway is notified that the pipeline is idle and another data stream can be multiplexed.

V. DATAFLOW MODEL

In this section the CSDF model of our sharing approach for accelerators and its SDF abstraction are explained in detail. We will now first provide a brief introduction into these models and then present a detailed CSDF model for a single data stream using a shared accelerator followed by its abstraction into a SDF model.

A. (C)SDF

An SDF model is a directed graph $G = (V, E)$ with actors $v \in V$ and directed edges $e \in E$. Each edge $e_{i,j}$ describes an unbounded queue for atomic objects called tokens between actors $v_i$ and $v_j$. The head and tail of each edge is annotated by quanta which denote the number of tokens an actor will consume or produce during its firing. Every actor has a firing duration $\rho_v$, which is the duration between the consumption of input tokens and the production of output tokens. An actor can fire when its incoming edges have at least the number of tokens as denoted by their quanta. To prevent concurrent firing of an actor where this is not desired, a self edge is used with a single token. Bounded buffers between two actors are modeled with a forward edge with complementary back edge containing a number of initial tokens denoting the depth of the buffer.

CSDF extends SDF by introducing the concept of phases. Each CSDF actor has by definition an implicit self-edge with one token. Furthermore, each actor has a cyclic behavior during which its phases are fired. The firing duration for every phase $p$ is denoted as $\rho_v[p]$. Both firing durations and quanta are expressed as a list of values with a length equal to the number of phases of the corresponding actor. To denote a parametric list of quanta for each phase of a CSDF actor, we use the notation: $[z \times 1, 0]$, denoting $z$ phases with quanta 1 followed by one phase of quanta 0.

B. CSDF Model

In our approach gateways are used for multiplexing of data streams over a set of accelerators. For each stream that is multiplexed over the accelerators a separate CSDF model is created. A CSDF model for one such stream is shown in Figure 5. To keep the figure concise we assume, without loss of generality, that only one accelerator is shared. This accelerator is modeled with actor $v_A$. The values of $\alpha_1$ and $\alpha_2$ are two tokens and are equal to the capacity of the buffers in the network interfaces.

In the CSDF model, the entry-gateway is modeled by actor $v_{G_0}$ and the exit-gateway is modeled by $v_{G_1}$. The first phase of $v_{G_0}$ can not start before $v_{G_1}$ has produced a token on the edge $(v_{G_1}, v_{G_0})$ which indicates that the previous block of data has been processed. Additionally $v_c$ must have produced $\eta_s$ tokens to indicate that $\eta_s$ locations are available in the input buffer of $v_c$. Furthermore at least $\eta_s$ tokens have been produced by actor $v_p$ before the first phase of $v_{G_0}$ can start.

Actor $v_{G_0}$ produces $\eta_s$ tokens, one in each phase. All phases denote the transfer of a sample to the shared accelerator $v_A$. Actor $v_A$ will consume each token and produce a token for the exit gateway actor $v_{G_1}$. After $v_{G_0}$ has produced $\eta_s$ tokens for actor $v_c$, each token modeling an output sample from the shared accelerator to the consumer, it produces a token to notify $v_{G_0}$ that the pipeline is idle.

The time that other streams might use the accelerators before stream $s \in S$ can be processed, denoted by $\tau_s$ is a function in the block sizes of all other streams and is included in the firing duration of the first phase of actor $v_{G_0}$. The set $S$ contains all streams multiplexed by an entry/exit-gateway pair over a set of accelerators. The time $R_s$ required to reconfigure the accelerators for stream $s$ is also included as well as the time it takes for $v_{G_0}$ to copy a sample, which is denoted by $\varrho$. As such, the firing duration of $\rho_{G_0}[0]$ becomes:

$$\rho_{G_0}[0] = \omega_s + R_s + \varrho$$  \hspace{1cm} (1)

The durations of all other phases of $v_{G_0}$ are $\varrho$. Similarly, the time needed to copy a data element by $v_{G_1}$ is denoted by $\varrho'$. Given the CSDF model in Figure 5 we can construct an execution schedule for the gateways and accelerator that process a single stream $s$ under the assumption that the pipeline was initially idle, thus $\omega_s = 0$, as shown in Figure 6. This schedule is parameterized in $\eta_s$ and shows that after $\eta_s$ firings of all actors a complete block has been processed and is ready to be consumed by $v_c$. From this schedule we can conclude that the total processing time of one block of $\eta_s$ samples for data stream $s$ is $\tau_s$ time, which is upper bounded by $\hat{\tau}_s$:

$$\tau_s \leq \hat{\tau}_s = R_s + (\eta_s + 2) \cdot \max(\varrho, \rho_A, \varrho')$$  \hspace{1cm} (2)

According to Equation 2, $\tau_s$ consists of the reconfiguration time plus the time needed to process $\eta_s$ samples and the time needed to empty the pipeline of gateways and accelerator(s).
The maximum of the firing durations of the gateways and the accelerator(s) is taken because the actor with the largest firing duration in the chain determines the time to process a sample.

Streams are multiplexed in a RR fashion by the entry-gateway. By applying the theory presented in [19] we can conclude that when a block of data for stream $s$ is queued, in the worst-case it has to wait $\omega_s$ time. This is equal to the processing duration of a block of data for every other stream that uses the same accelerator, before the block of stream $s$ is processed. Therefore $\omega_s$ is bounded from above by:

$$\omega_s \leq \hat{\omega}_s = \sum_{i \in S \setminus s} \hat{\tau}_i$$

As a result the maximum time $\gamma_s$ it takes before a block of queued samples of stream $s$ is processed, is equal to the sum of the processing time of one block of data for all streams sharing that accelerator:

$$\gamma_s = \hat{\omega}_s + \hat{\tau}_s = \sum_{i \in S} \hat{\tau}_i$$

**C. Single SDF Actor model**

The detailed CSDF model inside the dashed box in Figure 5 can be abstracted into a single actor SDF model as shown in Figure 7. The firing duration of this SDF actor is $\hat{\gamma}_s$. There is hardly any loss in accuracy because processing of the next block cannot start before the previous block has been processed completely. The only loss in accuracy compared to the SDF model is caused by the fact that the SDF actor will atomically produce all tokens when the actor finished computing while in the CSDF model tokens for $v_s$ are produced during firing of $v_{G_1}$ and will therefore arrive earlier.

This means that the SDF model is more pessimistic than the CSDF model and as such, according to the-earlier-the-better refinement, any throughput guarantees from the SDF model will hold for the CSDF model and hardware as well.

**D. Minimum Throughput Verification**

When block sizes are specified by the designer, the firing duration for actors $v_s$ denoting shared accelerators can be determined using Equation 4. The quanta of $v_s$ are equal to the block size $\eta_s$ denoting the minimum required buffer capacities given a throughput constraint can be determined using existing SDF techniques [20].

**E. Non-monotone Behavior**

When block sizes are not specified by the designer, they have to be computed for the application. This computation is difficult as minimum buffer capacities are not monotone in the block size. We will illustrate this with an example using the model from Figure 8a.

We can determine for every value of $\eta_s$ what the minimum required buffer capacities are using an existing SDF technique [20] to obtain maximum throughput. When we do this for the model from Figure 8a for $\eta_s = 2$ and $\eta_s = 5$, we see that from Figure 8b the small block size requires a larger buffer capacity than the larger block size. However, when considering the required buffer capacities needed for $\eta_s = 1$ and $\eta_s = 2$, the opposite is true. As such, the minimum buffer capacities are not monotone in the block size and thus using the smallest possible block size does not result in the smallest possible buffer capacities in general. A similar issue occurs for minimum buffer capacities under a throughput constraint.

**F. Computing Block Sizes**

Our SDF model can be used to create an ILP to compute minimum block sizes and sufficient buffer capacities. This ILP is correct for graphs with a topology as shown in Figure 7. For every stream $s$ in an application a certain minimum throughput $\mu_s$ is specified, expressed in samples/s, which can be derived from the throughput constraint of the application.
If we consider the SDF model from Figure 7 and assume that \( c_0 \) and \( c_3 \) are sufficiently large to make the self-edge on \( v_s \) critical, the requirement on the minimum throughput of stream \( s \) can be described by:

\[
\frac{1}{\gamma_s} \cdot \eta_s \geq \mu_s
\]

To find the minimum block size for every stream multiplexed over a specific accelerator we have to derive \( \eta_i \) which satisfies Equation 5 for every stream \( i \in S \). The values of \( \eta_i \) can be computed with the following ILP which is created by substitution of \( \gamma_s \) in Equation 5.

**Algorithm 1** Find smallest total block sizes

Minimize:

\[
\min \sum_{s \in S} \eta_s
\]

Subject to:

\[
\forall s \in S : \eta_s - c_0 \cdot \mu_s \cdot \sum_{i \in S} (\eta_i + 2) \geq \mu_s \cdot c_1
\]

\[
\forall s \in S : \eta_s > 0
\]

Given that:

\[
c_0 = \max(\varrho, \rho_A, \varrho')
\]

\[
c_1 = \sum_{s \in S} R_s
\]

After finding the smallest block sizes, a standard algorithm for the computation of the minimum buffer capacities [20] can be used.

To find the optimal block sizes resulting in the smallest buffer capacities, a computational intensive branch-and-bound algorithm can be used. This algorithm has to verify whether the throughput constraint of every stream is satisfied for every possible block size and must compute the accompanying minimum buffer capacities to find the total minimum buffer capacity.

### G. Check For Space

As described before, in our model we not only have to check for space in the FIFO of the first stream processing accelerator but also in the buffer between the exit-gateway and the consumer. We will now justify the need for this check.

In Figure 9 a task graph with two pairs of producers and consumers is depicted sharing a FIFO. Such a FIFO is found between the gateways and accelerators in our architecture. Task \( v_1 \) and \( v_2 \) produce and consume data for stream 0. Tasks \( v_3 \) and \( v_4 \) do the same for stream 1.

Dataflow models like SDF define that the moment of production of a token is the same instant a token arrives at the consumer. When this FIFO is shared between streams, for example when streams are multiplexed, tokens from another stream can influence when produced tokens arrive at the consumer because of head-of-line blocking. This is not allowed in SDF and causes that the-earlier-the-better refinement is not applicable.

Our sharing approach provides mutual exclusivity: when a stream \( s \) wants to use the FIFO it needs to wait for the current stream to be emptied from the FIFO. When this happens, a token produced by \( s \) will immediately be available at the FIFO output, satisfying the conditions of the refinement theory.

### VI. EVALUATION

In this section we will describe our real-time stream processing application used for the evaluation of our system. The hardware costs of our gateways and accelerators are presented which demonstrates the benefits in terms of hardware costs and utilization of our sharing approach.

#### A. PAL Stereo Audio Decoder

In order to demonstrate the sharing of accelerators in a multi-core heterogeneous system under real-time constraints, a demonstrator application was constructed which performs real-time decoding of a PAL stereo audio stream.

In the PAL broadcast standard, video is transmitted using an Amplitude Modulation (AM) signal at baseband. The audio signal is offset 6 MHz from the base frequency and consists of one or two Frequency Modulation (FM) signals for mono, stereo or bilingual sound. For stereo, the first channel contains a mix of both the left and the right (L+R)
channel while the second channel only contains the right channel (R). To obtain normal stereo the left channel (L) needs to be extracted by removing the second channel (R) from the first channel (L+R).

A schematic overview of our demonstrator is shown in Figure 10. Our architecture is implemented on a Xilinx Virtex 6 FPGA where an Epiq FMC-1RX [21] front-end (FE) is used to receive a TV signal containing a PAL broadcast. The radio receiver is connected as an accelerator to our system, providing a real-time data stream of the TV broadcast at baseband frequency. A channel mixer accelerator containing a CORDIC is used to mix this baseband PAL signal to the carrier frequency of one of the audio channels. A Low-Pass Filter (LPF) with built-in down-sampler is used to remove high frequency signals and obtain the FM signal. Next, an accelerator containing a CORDIC module is used to convert the data stream from FM radio to normal audio. Once again, high frequency signals are filtered out and a down-sample conversion is applied to obtain a normal sample rate for audio. This processing chain of accelerators is required for both audio channels. Reconstruction of the left channel from the (L+R) and (R) channels is performed in a software task. The resulting two audio channels are sent to a stereo output (speakers).

In Figure 10 we can see that a CORDIC accelerator and a LPF+down-sampler accelerator are both needed four times. Instead of duplicating this functionality, our system contains one CORDIC and one LPF+down-converter accelerator. A gateway is used to multiplex the resulting four data streams over both accelerators in real-time.

In our prototype, streams are switched by reading and restoring state from software. Our accelerators and exit-gateway have an execution time of one cycle/sample while the entry-gateway requires 15 cycles/sample. Reconfiguration time ($R_s$) is the same for all streams and is done in 4100 cycles. Using our sharing approach, we computed that for 44.1 kHz audio output, the streams at the start of the chain need to multiplex blocks of 10136 samples while the streams at the end of the chain will be multiplexed at 1267 samples (note the 8 : 1 ratio in the block sizes due to down-sampling).

The entry-gateway has the largest influence on throughput as it is processing data streams 5% of the time, which means that 95% of the time is spent to save and restore state from the accelerators. While we are working on techniques to improve the speed at which state can be saved and restored, our current implementation is already sufficiently fast for this application as we meet our real-time throughput constraint of 44.1 kS/s for continuous audio playback.

**B. Hardware Costs**

As described in Section IV-C, our entry-gateways are implemented using a MicroBlaze CPU. As such, the hardware costs can be mostly attributed to the MicroBlaze processor, as can be seen in Figure 11.

The exit-gateway is fully implemented in hardware and its costs are also depicted in Figure 11. As such, the hardware costs for a complete entry and exit pair consists mainly of the costs of one MicroBlaze, the DMA engine and the exit-gateway, as shown in Table I.

Our demonstrator requires a 33-taps complex FIR filter with built-in programmable down-sampler and a CORDIC block, each four times. Without accelerator sharing this application would require four instances of each accelerator type. This would result in a lot of duplicated hardware which would also have a low utilization. In this case, by having just one of each type of accelerator, sharing implemented by the gateways removes the need for duplicate logic. The demonstrator still meets its throughput constraint while more than 63% of the hardware costs of the accelerators could be saved.

**VII. Conclusion**

In this paper we presented an approach for sharing stream processing accelerators by means of gateways in a heterogeneous multi-core stream processing architecture under real-time constraints. The hardware overhead introduced by the entry- and exit-gateways is reduced by multiplexing multiple data streams over various accelerators. This reduces the

### Table I

<table>
<thead>
<tr>
<th>Component</th>
<th>Slices</th>
<th>LUTs</th>
</tr>
</thead>
<tbody>
<tr>
<td>Entry- + Exit-gateway</td>
<td>3788</td>
<td>4445</td>
</tr>
<tr>
<td>LPF + down-sampler (F+D)</td>
<td>6512</td>
<td>10837</td>
</tr>
<tr>
<td>CORDIC (C)</td>
<td>1714</td>
<td>1882</td>
</tr>
<tr>
<td><strong>Non-shared vs Shared</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>4 * (F+D) + 4 * (C)</td>
<td>32904</td>
<td>50876</td>
</tr>
<tr>
<td>Gateways + (F+D) + (C)</td>
<td>12014</td>
<td>17164</td>
</tr>
</tbody>
</table>

**Savings**

<table>
<thead>
<tr>
<th></th>
<th>Slices</th>
<th>LUTs</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>20890</td>
<td>35712</td>
</tr>
<tr>
<td>63.5%</td>
<td></td>
<td></td>
</tr>
<tr>
<td>66.3%</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

**The hardware costs and savings in a Virtex 6 FPGA**

(F = LPF, D = DOWN-SAMPLER, C = CORDIC)
need for duplicated functionality and improves utilization of accelerators.

We presented a CSDF temporal analysis model which can be abstracted into a single SDF node model to describe a gateway and a chain of accelerators which are shared between multiple streams. The corresponding model can be used to check if throughput constraints are satisfied when block sizes are specified. An ILP is presented to compute minimum block sizes under a throughput constraint. However, we showed that minimizing the block sizes reduces the required buffer capacities but does not necessarily result in the minimal buffer capacities due to the non-monotonic relation between block sizes and buffer capacities.

We evaluated the hardware costs and accelerator utilization by means of a real-time PAL stereo audio decoder application. In this application an accelerator containing a CORDIC and an accelerator containing a filter are both shared between two audio channel decoding paths resulting in a stereo audio stream. The application satisfies its real-time throughput constraints and improved accelerator utilization by a factor of four. A reduction of 20890 slices (63%) and 33712 LUTs (66%) was observed compared to an implementation with four CORDICs and four filters.

REFERENCES